

Demystifying Gradient Boosting

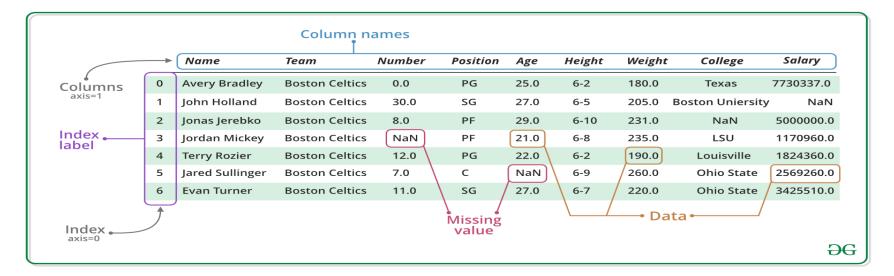
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## What is Gradient Boosting?



- State of the art machine learning algorithm for **tabular prediction problems**; especially those with messy, missing data and high degrees of feature interaction and nonlinearity
- In this introduction we'll focus on **regression**, but the general algorithm can be extended to many tasks, including classification



# **Gradient Boosting, Intuition?**



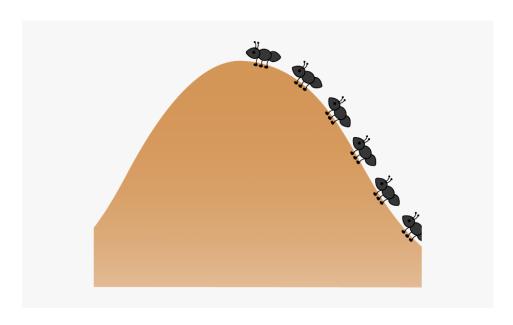




## **Gradient Boosting, Intuition!**

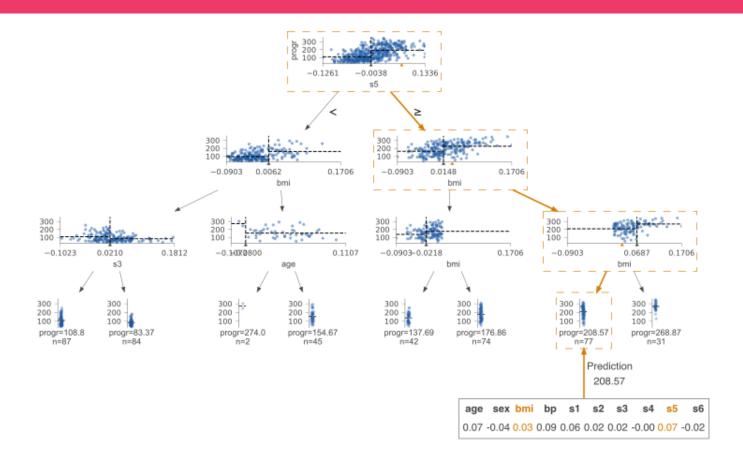


- Gradient boosting is an ensemble of weak learners
- Base models are typically shallow decision trees
- Like an ant colony, each model makes a small contribution to residual correction that builds to a complex prediction system



### **What are Decision Trees?**

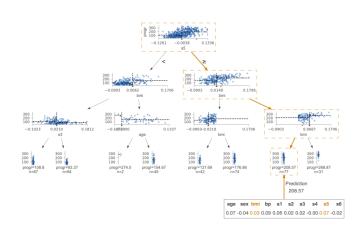




#### What are Decision Trees?



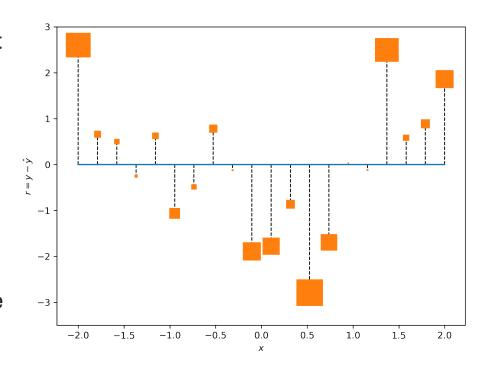
- Trees generate predictions based on a series of if/else binary decisions that recursively partition the feature space
- In regression, these splits are chosen to minimize variance within the resulting subsets (nodes)
- Each data point will fall within a **leaf node** that has no further splits, and its target prediction will be the mean of that node



#### What are Residuals?



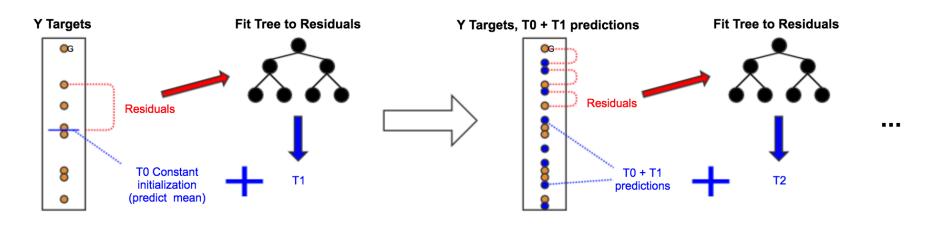
- Residuals measure the difference between actual and predicted target values (those generated by a model)
- The smaller the total magnitude of residuals, the better a model describes a dataset
- Imagine that we started with a bad model like the constant model on the right, but combined it with one that perfectly predicted its error...



## **Gradient Boosting as a Diagram**



 We iteratively reduce our model's current mistakes (residuals) by approximating them with a decision tree, and adding that tree to the ensemble



Model: 
$$F(x) = T0 + T1(x) + T2(x) + ... + Tk(x)$$

# **Gradient Boosting as a Formal Algorithm**



• After choosing **hyperparameters k** (number of trees) and **d** (max depth of each tree):

- 1. Set  $T_0 = mean(y)$
- 2. For m = 1, ..., k:

A. Set 
$$r_{m-1} = y - (T_0 + \sum_{j=1}^{m-1} T_j(X))$$

B. Fit max depth d tree  $T_m$  with features X, target  $r_{m-1}$ 

Obtain final model:  $F(X) = T_0 + T_1(X) + \ldots + T_k(X)$ 

### **Gradient Boosting as a Python Class: Initialization**



```
# need these to help construct the model
import numpy as np
from sklearn.metrics import r2 score
from sklearn.tree import DecisionTreeRegressor
class GradientBooster():
    # select hyperparameters at initialization
   def init (self, n estimators=10, max depth=3):
        self.n estimators = n estimators
        self.max depth = max depth
```

### **Gradient Boosting as a Python Class: Fitting**



```
def fit(self, X, y):
    # start with constant prediction (mean)
    self.C = np.mean(y)
    self.estimators = []
    resids = y - self.C
    # repeatedly fit to, predict, and update current errors
    for in range(self.n estimators):
        est = DecisionTreeRegressor(max depth=self.max depth)
        est.fit(X, resids)
        resids -= est.predict(X)
        self.estimators.append(est)
```

#### **Gradient Boosting as a Python Class: Prediction and Scoring**

0.796



```
# predict by summing across all trees and adding original constant prediction
def predict(self, X):
    return self.C + np.sum([est.predict(X) for est in self.estimators], axis=0)
def score(self, X, y):
    return r2 score(y, self.predict(X))
      booster = GradientBooster(n estimators=100, max depth=3)
      booster.fit(X train, y train)
      print('%.3f' % booster.score(X test, y test))
```

# **Thank You!**

https://github.com/jeddy92/

https://jeddy92.github.io/

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